

The 11th IEEE Annual Ubiquitous Computing, Electronics & Mobile Communication Conference Virtual Conference

28-31 October 2020 , New York, USA

RINGING TEST FOR THIRD-ORDER LADDER LOW-PASS FILTERS

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Outline

1. Research Background

- Motivation, objectives and achievements
- Self-loop function in a transfer function
- **2.** Ringing Test for Passive Networks
- Stability test for RLC low-pass filters
- **3. Ringing Test for Unity-Gain Amplifiers**
- Stability test for unity-gain amplifiers
- 4. Ringing Test for Ladder Low-Pass Filters
- Stability test for active 3rd-order ladder low-pass filters
- 5. Conclusions

1. Research Background

Noise in Electronic Systems

Performance of a system

Signal to Noise Ratio:



Common types of noise:

- Electronic noise
- Thermal noise,
- Intermodulation noise,
- Cross-talk,
- Impulse noise,
- Shot noise, and
- Transit-time noise.

Performance of a device



 $\mathbf{F} = \frac{\mathbf{Output \ SNR}}{\mathbf{Input \ SNR}}$

Device noise:

- Flicker noise,
- Thermal noise,
- White noise.



Linear networks

- Overshoot,
- Ringing



1. Research Background

Effects of Ringing on Electronic Systems

Ringing represents a distortion of a signal. Ringing is overshoot/undershoot voltage or current when it's seen on time domain.

Ringing does the following things:

- Causes EMI noise,
- Increases current flow,
- Consumes the power,
- Decreases the performance, and
- Damages the devices.



1. Research Background Objectives of Study

- Derivation of transfer function in electronic systems using superposition theorem
- Investigation of operating regions of linear negative feedback networks
- Over-damping (high delay in rising time)
- Critical damping (max power propagation)
- → Under-damping (overshoot and ringing)
- Stability test for electronic networks based on alternating current conservation

1. Research Background Achievements of Study

Superposition formula for multi-source networks



Self-loop function

Alternating current conservation



10 mH

inductance





1. Research Background

Approaching Methods

3rd-order ladder LPF



Derivation of self-loop function



Balun transformer



Implemented circuit



1. Research Background

Superposition Theorem for Multi-Source Systems

Superposition formula:



- V_o(t) : Voltage at one node
- V_i(t) : Input voltage sources
- I_{ai}(t) : Ahead-toward current sources
- I_{gi}(t) : Ground-toward current sources
- Z_{i, si, pi}(t): Impedances at each branch

Multi-source systems, feedback
 networks (op amps, amplifiers),
 polyphase filters, complex filters...



1. Research Background Analysis of 2nd–Order Polyphase Filter



Apply superposition at each node

$$\begin{split} V_{out} & \left(\frac{1}{Z_{C1}} + \frac{1}{R_1}\right) = \frac{V_a}{R_1} + \frac{\left(+j\right)^3 V_a}{Z_{C1}}; \\ V_a & \left(\frac{1}{Z_{C2}} + \frac{1}{R_2} + \frac{2}{R_1 + Z_{C1}}\right) = \frac{V_{in}}{R_2} + \frac{\left(+j\right)^3 V_{in}}{Z_{C2}}; \end{split}$$

Transfer function for positive polyphase signal

$$H_{P}(\omega) = \frac{V_{out}}{V_{in}} = \frac{\left[1 + \left(+j\right)^{3} b_{1} j\omega\right] \left[1 + \left(+j\right)^{3} b_{2} j\omega\right]}{a_{0} \left(j\omega\right)^{2} + a_{1} j\omega + 1}$$

Transfer function for negative polyphase signal

$$H_{N}(\omega) = \frac{V_{out}}{V_{in}} = \frac{\left[1 + (-j)^{3} b_{1} j\omega\right] \left[1 + (-j)^{3} b_{2} j\omega\right]}{a_{0} (j\omega)^{2} + a_{1} j\omega + 1};$$

Here:
$$b_0 = R_1 C_1; b_1 = R_2 C_2; a_0 = b_0 b_1; a_1 = b_0 + b_1 + 2R_2 C_1;$$

Image rejection ratio (IRR)

$$IRR(\omega) = \frac{\left|H_{P}(\omega)\right|}{\left|H_{N}(\omega)\right|} = \frac{\left|(1+b_{1}\omega)(1+b_{2}\omega)\right|}{\left|(1-b_{1}\omega)(1-b_{2}\omega)\right|};$$

1. Research Background Behaviors of 2nd–Order Polyphase Filter



Transfer function in all frequency domain

$$H(\omega) \Big| = \frac{(1+b_1\omega)(1+b_2\omega)}{\sqrt{(1-a_0\omega^2)^2 + (a_1\omega)^2}}; \omega \in \mathbb{R}$$

Here, R1 = 1 k Ω , C1 = 227 pF, R2 = 1 k Ω , C2 = 114 pF, at f₁ = 700 kHz, f₂ = 1.4 MHz,

Bode plot of transfer function in all frequency domain



1. Research Background Behavior of 4th-order Complex Filter

 $H_{P}(\omega) = \frac{\frac{R_{21}}{R_{11}}}{\left[1 + j\left(\frac{\omega}{\omega_{cut1}} + \frac{R_{21}}{R_{31}}\right)\right]} \frac{\frac{R_{22}}{R_{12}}}{\left[1 + j\left(\frac{\omega}{\omega_{cut2}} + \frac{R_{22}}{R_{32}}\right)\right]} \frac{\frac{\kappa_{23}}{R_{13}}}{\left[1 + j\left(\frac{\omega}{\omega_{cut3}} + \frac{R_{23}}{R_{33}}\right)\right]} \frac{\frac{\kappa_{24}}{R_{14}}}{\left[1 + j\left(\frac{\omega}{\omega_{cut4}} + \frac{R_{24}}{R_{34}}\right)\right]}$

 $H_{N}(\omega) = \frac{\frac{R_{21}}{R_{11}}}{\left[1 + j\left(\frac{\omega}{\omega_{-1}} - \frac{R_{21}}{R_{12}}\right)\right]} \frac{\frac{R_{22}}{R_{12}}}{\left[1 + j\left(\frac{\omega}{\omega_{-u'2}} - \frac{R_{22}}{R_{32}}\right)\right]} \frac{\frac{R_{23}}{R_{13}}}{\left[1 + j\left(\frac{\omega}{\omega_{-u'3}} - \frac{R_{24}}{R_{33}}\right)\right]} \frac{R_{24}}{\left[1 + j\left(\frac{\omega}{\omega_{-u'4}} - \frac{R_{24}}{R_{34}}\right)\right]}$

Transfer function for positive polyphase signals

Transfer function for negative polyphase signals

4th-order complex filter



Bode plot of transfer function



1. Research Background Self-loop Function in A Transfer Function

Linear system



Transfer function

$$H(\omega) = \frac{V_{out}(\omega)}{V_{in}(\omega)} = \frac{A(\omega)}{1 + L(\omega)}$$

○ Polar chart → Nyquist chart
 ○ Magnitude-frequency plot
 ○ Angular-frequency plot
 ○ Magnitude-angular diagram → Nichols diagram

Model of a linear system

$$H(\boldsymbol{\omega}) = \frac{b_0(j\omega)^n + \dots + b_{n-1}(j\omega) + b_n}{a_0(j\omega)^n + \dots + a_{n-1}(j\omega) + a_n}$$

 $A(\omega)$: Open loop function $H(\omega)$: Transfer function $L(\omega)$: Self-loop function Variable: angular frequency (ω)

1. Research Background

Characteristics of Adaptive Feedback Network



Adaptive feedback is used to control the output source along with the decision source (DC-DC Buck converter).
 Transfer function of an adaptive feedback network is significantly different from transfer function of a linear negative feedback network.

→ Loop gain is independent of frequency variable (referent voltage, feedback voltage, and error voltage are DC voltages).

1. Research Background Alternating Current Conservation

Transfer function







Simplified linear system

Self-loop function





10 mH inductance



Derivation of self-loop function

1. Research Background Limitations of Conventional Methods

- Middlebrook's measurement of loop gain
- →Applying only in feedback systems (DC-DC converters).
- Replica measurement of loop gain
- →Using two identical networks (not real measurement).
- Nyquist's stability condition
- \rightarrow Theoretical analysis for feedback systems (Lab tool).
- Nichols chart of loop gain
- \rightarrow Only used in feedback control theory (Lab tool).
- Conventional superposition
- \rightarrow Solving for every source (several times).

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2. Ringing Test for Passive Networks Characteristics of 2nd-order Transfer Function

Second-order transfer function: $H(\omega) = \frac{1}{1 + a_0(j\omega)^2 + a_1j\omega}$

Case	Over-damping	Critical damping	Under-damping
Delta (Δ)	$\frac{1}{a_0} < \left(\frac{a_1}{2a_0}\right)^2 \Longrightarrow \Delta = a_1^2 - 4a_0 > 0$	$\frac{1}{a_0} = \left(\frac{a_1}{2a_0}\right)^2 \Longrightarrow \Delta = a_1^2 - 4a_0 = 0$	$\frac{1}{a_0} > \left(\frac{a_1}{2a_0}\right)^2 \Longrightarrow \Delta = a_1^2 - 4a_0 < 0$
$\begin{array}{c} \textbf{Module} \\ H(\omega) \end{array}$	$\frac{\frac{1}{a_0}}{\sqrt{\omega^2 + \left(\frac{a_1}{2a_0} - \sqrt{\left(\frac{a_1}{2a_0}\right)^2 - \frac{1}{a_0}}\right)^2}}\sqrt{\omega^2 + \left(\frac{a_1}{2a_0} + \sqrt{\left(\frac{a_1}{2a_0}\right)^2 - \frac{1}{a_0}}\right)^2}}$	$\frac{\frac{1}{a_0}}{\left[\omega^2 + \left(\frac{a_1}{2a_0}\right)^2\right]} = \frac{1}{2} = -6dB$	$\boxed{\frac{\frac{1}{a_{0}}}{\sqrt{\left(\omega - \sqrt{\frac{1}{a_{0}} - \left(\frac{a_{1}}{2a_{0}}\right)^{2}}\right)^{2} + \left(\frac{a_{1}}{2a_{0}}\right)^{2}}\sqrt{\left(\omega + \sqrt{\frac{1}{a_{0}} - \left(\frac{a_{1}}{2a_{0}}\right)^{2}}\right)^{2} + \left(\frac{a_{1}}{2a_{0}}\right)^{2}}}$
Angular $\theta(\omega)$	$-\arctan\left(\frac{\omega}{\left(\frac{a_1}{2a_0}-\sqrt{\left(\frac{a_1}{2a_0}\right)^2-\frac{1}{a_0}}\right)}-\arctan\left(\frac{\omega}{\left(\frac{a_1}{2a_0}+\sqrt{\left(\frac{a_1}{2a_0}\right)^2-\frac{1}{a_0}}\right)}\right)$	$-2 \arctan\left(\frac{2a_0\omega}{a_1}\right)$	$-\arctan\left(\frac{\omega-\sqrt{\frac{1}{a_0}-\left(\frac{a_1}{2a_0}\right)^2}}{\frac{a_1}{2a_0}}\right)-\arctan\left(\frac{\omega+\sqrt{\frac{1}{a_0}-\left(\frac{a_1}{2a_0}\right)^2}}{\frac{a_1}{2a_0}}\right)$
$\omega_{cut} = \frac{a_1}{2a_0}$	$\left H(\omega_{cut}) < \frac{2a_0}{a_1} \right \Theta(\omega_{cut}) > -\frac{\pi}{2}$	$\left \left H(\omega_{cut}) \right = \frac{2a_0}{a_1} \right \theta(\omega_{cut}) = -\frac{\pi}{2}$	$\left H(\omega_{cut}) \right > \frac{2a_0}{a_1} \qquad \Theta(\omega_{cut}) < -\frac{\pi}{2}$

2. Ringing Test for Passive Networks Characteristics of 2nd-order Self-loop Function

Second-order self-loop function: $L(\omega) = j\omega [a_0 j\omega + a_1]$

Case	Over-damping		Critical damping		Under-damping	
Delta (Δ)	$\Delta = a_1^2 - 4a_0 > 0$		$\Delta = a_1^2 - 4a_0 = 0$		$\Delta = a_1^2 - 4a_0 < 0$	
$ L(\omega) $	$\omega \sqrt{\left(a_0 \omega\right)^2 + a_1^2}$		$\omega \sqrt{\left(a_0 \omega\right)^2 + a_1^2}$		$\omega \sqrt{\left(a_0 \omega\right)^2 + a_1^2}$	
θ(ω)	$\frac{\pi}{2}$ +	$\arctan \frac{a_0 \omega}{a_1}$	$\frac{\pi}{2} + \arctan \frac{a_0 \omega}{a_1}$		$\frac{\pi}{2} + \arctan \frac{a_0 \omega}{a_1}$	
$\omega_{\rm l} = \frac{a_{\rm l}}{2a_{\rm o}}\sqrt{\sqrt{5}-2}$	$ L(\omega_1) > 1$	$\pi - \theta(\omega_1) > 76.3^{\circ}$	$ L(\omega_1) = 1$	$\pi - \theta(\omega_1) = 76.3^{\circ}$	$\left L(\omega_1)\right < 1$	$\pi - \theta(\omega_1) < 76.3^{\circ}$
$\omega_2 = \frac{a_1}{2a_0}$	$ L(\omega_2) > \sqrt{5}$	$\pi - \theta(\omega_2) > 63.4^{\circ}$	$ L(\omega_2) = \sqrt{5}$	$\pi - \Theta(\omega_2) = 63.4^\circ$	$ L(\omega_2) < \sqrt{5}$	$\pi - \theta(\omega_2) < 63.4^{\circ}$
$\omega_3 = \frac{a_1}{a_0}$	$ L(\omega_3) > 4\sqrt{2}$	$\pi - \theta(\omega_3) > 45^\circ$	$\left L(\omega_3)\right = 4\sqrt{2}$	$\pi - \theta(\omega_3) = 45^\circ$	$\left L(\omega_3)\right < 4\sqrt{2}$	$\pi - \theta(\omega_3) < 45^{\circ}$

2. Ringing Test for Passive Networks **Operating Regions of 2nd-Order System**

- •Under-damping: $H_1(\omega) = \frac{1}{(j\omega)^2 + j\omega};$ $H_1(\omega) = \frac{1}{(j\omega)^2 + j\omega + 1};$
- - $L_2(\omega) = (j\omega)^2 + 2j\omega;$
- - $L_3(\omega) = (j\omega)^2 + 3j\omega;$

•Critical damping: $H_2(\omega) = \frac{1}{(j\omega)^2 + 2j\omega + 1}; \quad \bigoplus_{j=1,5}^{2.5}$ •Over-damping: $H_3(\omega) = \frac{1}{(j\omega)^2 + 3j\omega + 1};$

Transient response



Bode plot of transfer function



Nichols plot of self-loop function



2. Ringing Test for Passive Networks Stability Test for Passive 2rd-Order RLC LPF

Passive RLC Low-pass Filter



Derivation of self-loop function



Transfer function

$$H(\omega) = \frac{V_{out}}{V_{in}} = \frac{1}{a_0 (j\omega)^2 + a_1 j\omega + 1};$$

Self-loop function

 $L(\omega) = a_0 (j\omega)^2 + a_1 j\omega;$

where, $a_0 = LC; a_1 = RC;$

Implemented circuit



2. Ringing Test for Passive Networks **Stability Test for 2rd-Order Passive RLC LPF**

Bode plot of transfer function



Nichols plot of self-loop function



Over-damping 1.0 0.5 Amplitude (V) 0.0 -0.5 -1.0 -0.0003 -0.0002 0.0001 -0.0001 0.0000 0.0002 0.0003 Time (s) Critical damping 1.0 Amplitude (V) 0.5 0.0 -0.5 -1.0



Transient responses

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3. Ringing Test for Unity-Gain Amplifiers Analysis of Op Amp without Miller's Capacitor



Small signal model



Transfer function $H(\omega)$ and self-loop function $L(\omega)$

$$H(\omega) = \frac{b_0 j\omega + b_1}{a_0 (j\omega)^2 + a_1 j\omega + 1};$$

$$L(\omega) = a_0 (j\omega)^2 + a_1 j\omega$$

Where,

$$b_{0} = R_{D}R_{S} \Big[\Big(C_{GD} + C_{DB} \Big) \Big(C_{GS} + C_{GD} \Big) - C_{GD}^{2} \Big]$$

$$b_{1} = \Big[R_{D} \Big(C_{GD} + C_{DB} \Big) + R_{S} \Big(C_{GS} + C_{GD} \Big) + R_{D}R_{S}g_{m}C_{GD} \Big]$$

$$a_{0} = R_{D}C_{GD}; a_{1} = -R_{D}g_{m};$$
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3. Ringing Test for Unity-Gain Amplifiers Unity-Gain Amplifier without Miller's Capacitor

Unity-Gain Amplifier Vdd μJ T. M5 M8 M9 M4 Vout M1 H M6 M7 1P M2 **Transient response** Input signal Output signal 1.8 1.6





3. Ringing Test for Unity-Gain Amplifiers Two-stage Op Amp with Frequency Compensation



Small signal model



Transfer function H(ω)

$$H(\omega) = \frac{b_0 (j\omega)^3 + b_1 (j\omega)^2 + b_2 j\omega + b_3}{a_0 (j\omega)^4 + a_1 (j\omega)^3 + a_2 (j\omega)^2 + a_3 j\omega + 1};$$

Self-loop function $L(\omega)$

$$L(\omega) = a_0 (j\omega)^4 + a_1 (j\omega)^3 + a_2 (j\omega)^2 + a_3 j\omega$$

3. Ringing Test for Unity-Gain Amplifiers Stability Test for Op Amp with Miller's Capacitor



Simulated transient response



Operating regions Under-damping: R1= 2 k Ω , C1 = 1 pF Critical damping: R1 = 3.5 k Ω , C1 = 0.2 pF Over-damping: R1 = 3.5 k Ω , C1 = 0.8 pF

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4. Ringing Test for Ladder Low-Pass Filters Analysis of Active 3rd-Order Ladder LPF



Transfer function & self-loop function

$$H_{out}(\omega) = \frac{V_{out}}{V_{in}} = \frac{1}{a_0(j\omega)^3 + a_1(j\omega)^2 + a_2j\omega + 1};$$

$$L(\omega) = j\omega \Big[a_0(j\omega)^2 + a_1j\omega + a_2 \Big]$$

where,
$$b_0 = L_2C_2; b_1 = R_2C_2;$$

 $a_0 = R_1C_1L_2C_2; a_1 = R_1C_1R_2C_2 + L_2C_2;$
 $a_2 = R_1(C_1 + C_2) + R_2C_2;$

 $R1 = 100 \Omega$, R2 = 50 kΩ, $R3 = R4 = 50 \text{ k}\Omega$, C1 = 5 nF, C2 = 10 nF,

C3 = 3.18 nF, at
$$f_0 = 100$$
 kHz.

- **Over-damping** (R5 = $0.5 \text{ k}\Omega$),
- Critical damping (R5 = $1 k\Omega$), and
- **Under-damping** (R5 = $2 \text{ k}\Omega$). 27

4. Ringing Test for Ladder Low-Pass Filters Simulation Results of 3nd-Order Ladder LPF



- Critical damping - Under-damping Over-damping 6 4 **Phase margin** Magnitude (dB) 2 **36** degrees 100° 0 -2 107° 144° -4 -6 -8 90 95 105 115 120 125 130 100 110 135 Phase (deg)

Transient response



Over-damping: →Phase margin is 80 degrees. Critical damping: →Phase margin is 73 degrees. Under-damping: →Phase margin is 36 degrees.

4. Ringing Test for Ladder Low-Pass Filters Implemented Circuit of 3rd-Order Ladder LPF





[/]Device under test



4. Ringing Test for Ladder Low-Pass Filters Measurement Results of 3nd-order Ladder LPF

Bode plot of transfer function Over-damping ____ Critical damping ____ Under-damping 5 1 dB 0 Magnitude (dB) -3dB -5 -10 -6 dB -15 -20 -25 100 kHz 300 kHz 5 kHz 10 kHz Frequency (Hz)

Transient response



Nichols plot of self-loop function



Over-damping: →Phase margin is 77 degrees. Critical damping: →Phase margin is 70 degrees. Under-damping: →Phase margin is 64 degrees.

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5. Conclusions

5. Comparison (Superposition formula)

Features	Superposition formula	Conventional Superposition	Millan's theorem
Effects of all actuating sources	At one time	Several times	At one time
Transfer function accuracy	Yes	Νο	Νο
Single-input network analysis	Yes	Yes	Yes
Polyphase network analysis	Yes	Νο	Νο
Complex network analysis	Yes	Νο	Νο
Image rejection ratio accuracy	Yes	Νο	Νο

5. Discussions (Superposition formula)

Transfer function and image rejection ratio give useful information about the behaviors of polyphase filters and complex filters.

Fundamental network analysis theory for multisource systems:

- Compute the effects of all sources at one time,
- **Reduce** the wasteful time,
- **Decrease** the hand calculation times,
- Get the transfer function faster, and
- **Reduce** the network complexity.

5. Comparison (Self-loop function)

Features	Alternating current conservation	Replica measurement	Middlebrook's method
Main objective	Self-loop function	Loop gain	Loop gain
Transfer function accuracy	Yes	Νο	Νο
Ringing Test	Yes	Yes	Yes
Operating region accuracy	Yes	Νο	Νο
Phase margin accuracy	Yes	No	Νο
Passive networks	Yes	No	Νο

5. Discussions (Self-loop function)

- Loop gain is independent of frequency variable.
- →Loop gain in adaptive feedback network is significantly different from self-loop function in linear negative feedback network.

Nichols chart is only used in MATLAB simulation.



https://www.mathworks.com/help/control/ref/nichols.html

Nichols chart isn't used widely in practical measurements (only used in control theory).





5. Conclusions

This work:

- Proposal of alternating current conservation for deriving self-loop function in a transfer function
 → Observation of self-loop function can help us
 - optimize the behavior of a high-order system.
- Implementations of circuits and measurements of self-loop functions for passive & active low-pass filters → Theoretical concepts of stability test are verified by laboratory simulations and practical experiments.

Future of work:

• Stability test for parasitic components in transmission lines, printed circuit boards, physical layout layers

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28-31 October 2020 , New York, USA

Thank you very much!







